Unit 2 3.1

# Graphing a Linear Inequality Notes

Objective: Determine the solution to a system of linear inequalities by graphing.

Graph:  $y \ge 2x - 5$ 

Step 1: Put the inequality in slope-intercept form

 $\sim\sim\sim\sim\sim\sim$ 

Step 2: Graph the inequality (dashed or solid?)

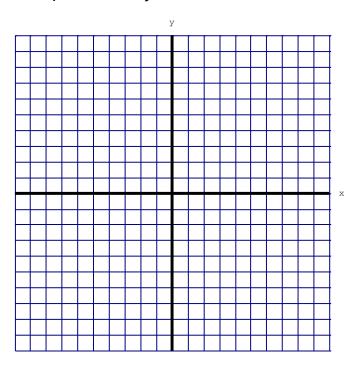
**Step 3**: Figure out where to shade by picking a test point. A common test point to use is (0, 0).

If the test point gives a <u>true</u> statement you shade the <u>half</u> the test point is in.

If the test point gives a <u>false</u> statement you shade the <u>opposite half</u> the test point is in.

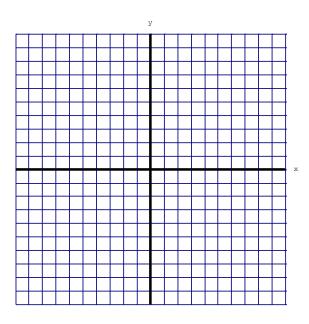
You try:

Graph: 2x + 4y < 8

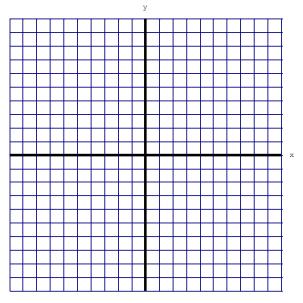


### Examples:

1. Graph the inequality  $y > -\frac{1}{2}x + 5$ . What are some solutions to the inequality? ( , ) ( , ) ( , )

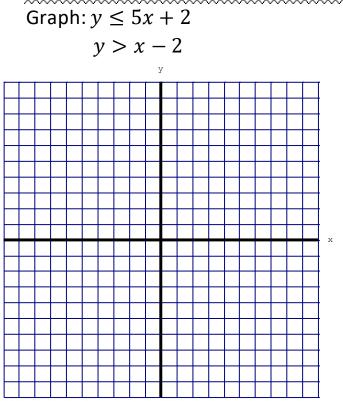


2. Graph the inequality y < x + 2. What are some solutions to the inequality? (, ) (, ) (, ) (, )



- 3. Looking at both graphs:
  - a. Are there any solutions that work for both inequalities? Give three examples ( \_ , \_ ) ( \_ , \_ ) ( \_ , \_ )
  - b. Are there any solutions that work for 1 inequality but not the other?
     Give three examples ( , ) ( , ) ( , ) and write the correct inequality below each answer.

# Graphing a System of Inequalities Notes



**Step 1**: Put both inequalities in slope-intercept form

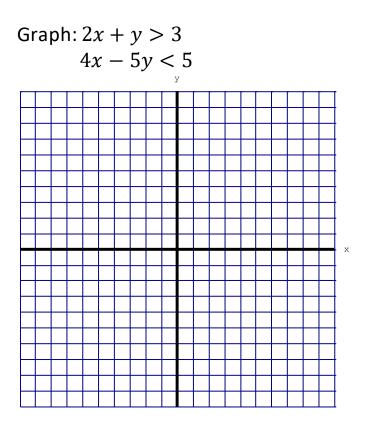
Step 2: Graph each inequality (dashed or solid?)

**Step 3**: Figure out where to shade by picking a test point. A common test point to use is (0, 0).

Test point must make **both** equations **true**.

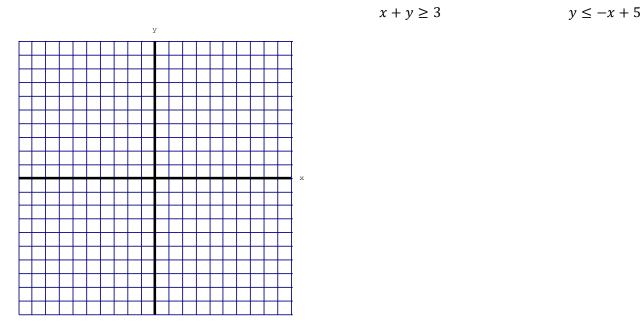
- Method 1: Guess and check each of the four regions
- Method 2: Shade both regions individually and the overlap is your answer

#### You try:

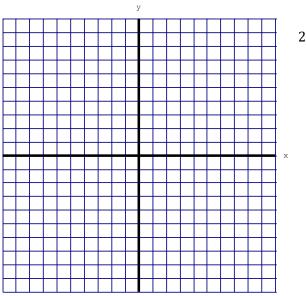


#### Examples:

4. Graph the following system of inequalities on the same graph. Use a different color for each.

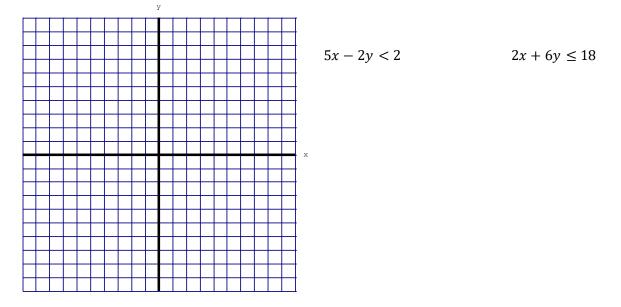


- a. Give three coordinates that are solutions to the system.  $(\ ,\ )\ (\ ,\ )\ (\ ,\ )$
- b. Give three coordinates that are not solutions to the system. ( , ) ( , ) ( , )
- c. Is a coordinate on a line a solution?
- 5. Graph the following on the same graph and give three solutions. ( , ) ( , ) ( , )

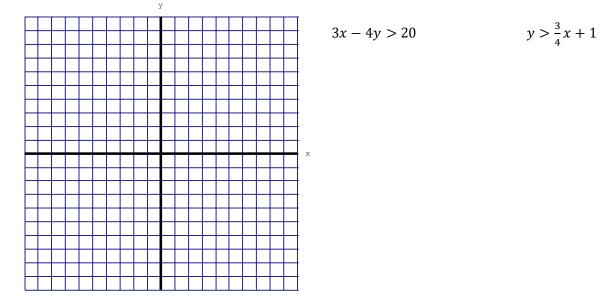


$$2x + 3y < 6 \qquad \qquad x + 5y > 5$$

6. Graph the following on the same graph and give three solutions. ( , ) ( , ) ( , )



7. Graph the following on the same graph and give three solutions. ( , ) ( , ) ( , ) ( , )



## Summary of Systems of Linear Inequalities

\*The solution to a system of linear equations is the \_\_\_\_\_\_ of intersection.

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•In order to solve a system of linear *inequalities*, you MUST graph.

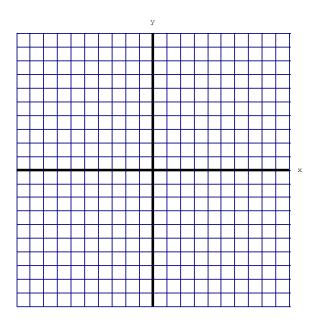
#### **Steps for Graphing Linear Inequalities and a System of Linear Inequalities**

- 1.) Solve each inequality for *y*.
   ♦ <u>DON'T FORGET</u>: Flip the sign if you multiply or divide by a negative number!
- 2.) Graph each line.  $\Rightarrow and < \_\_\_\_$  line  $\Rightarrow and \leq \_\_\_\_$  line
- 3.) Shade each line.
  - ♦ For > and ≥ shade \_\_\_\_\_ the line
    ♦ For < and ≤ shade \_\_\_\_\_ the line</li>
- 4.) The "solution region" is the area where <u>all</u> the shadings overlap.
  - ◆ Dashed lines are/are not part of the solution.
  - Solid lines are/are not part of the solution.

Graph the system of inequalities then determine which of the following orders pairs would be solutions:

4x + 6y > 36

 $-12x + 3y \le -9$ 



Circle the ordered pairs that are solutions.

Cross off the ordered pairs that are not solutions.

- a. (6,2)
  b. (10,5)
  c. (-5,10)
  d. (0,-3)
  e. (-10,5)
  f. (5,-10)
  g. (2,5)
- h. (-9,0)